JUSTIFICATION IN CASE-BASED REASONING

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INTRODUCTION

Background

- · Explainable AI for applications with legal, ethical, or social consequences.
- · AI & law interpretation of training examples as cases.

| | AI | law |
|----------------|---------------|---------------|
| Decision maker | ML system | Court |
| Precedent | Training data | Decided cases |

 $\cdot\,$ An XAI method was developed on the basis of this interpretation.^1

Present Work

- · Extend theory of precedential constraint with notion of justification.
- \cdot Show that the top-level model can be seen as an instance of this.

¹Henry Prakken and Rosa Ratsma. "A top-level model of case-based argumentation for explanation: Formalisation and experiments". In: Argument & Computation 13 (2022), pp. 159–194. DOI: 10.3233/AAC-210009.

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PRECEDENTIAL CONSTRAINT

The Formalism

- The theory of precedential constraint, formalizing a fortiori reasoning in case law.²
- · Illustrate through example: judging risk of recidivism.

| Formal Definition | Recidivism Example |
|-------------------|--------------------------------------|
| Outcomes | Low risk (0), High risk (1) |
| Dimension | Age, Priors, Sex |
| Dimension order | E.g. "People age out of crime" |
| Fact situation | (45, 4, M), (30, 5, M) |
| Case | (45, 4, M) : 1 |
| Case base | $\{(45, 4, M) : 1, (30, 5, M) : 1\}$ |
| Forcing | (45, 4, M) <u>≺</u> 1 (30, 5, M) |

Interpreting Training Examples as Cases

- 1. Determine dimension orders.
- 2. Interpret examples as fact situations, and labels as outcomes.

²John Horty: "Reasoning with dimensions and magnitudes". In: Artificial Intelligence and Law 27.3 (2019), pp. 309–345. DOI: 10.1007/s10506-019-09245-0.

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JUSTIFICATION

Definition of Forcing

Given cases a and b we say a forces the outcome of b, denoted a \preceq b, if

- 1. a and b have the same outcome s, and
- 2. b is at least as good for this outcome as a on all dimensions;

 $a(d) \leq_s b(d)$ for all $d \in D$.

Definition of Justification

A relation \sqsubseteq on cases is called a justification relation if it extends the forcing relation:

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Recidivism Example

· In our earlier example we saw:

$$(45, 4, M) : 1 \leq (30, 5, M) : 1.$$

- · If instead we had (25, 4, M) : 1, the forcing relation would not hold.
- · But a justification relation might still hold:

 $(25, 4, M) : 1 \sqsubseteq (30, 5, M) : 1.$

Relation to Compensation

- \cdot The example suggests we (contextually) value priors above age.
- · Alternatively: the convict's priors compensate for the age difference.
- · A justification relation induces a notion of compensation and vice versa.

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CONCLUSION AND DISCUSSION

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- · Introduce concept of justification to the theory of precedential constraint
- Show that the top-level model of Prakken & Ratsma can be equivalently formulated in terms of this notion of justification.

Future Work

- · Further develop the relation between compensation and justification.
- · Relate justification to similar models using notions of compensation.

Discussion

- · Is the word 'justification' appropriate?
- · How can justification relations be determined in an automated way?
- · In the context of XAI, what is the difference between justification and explanation?

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